OF REINFORCEMENT IN FOLDED PLATES AND CYLINDRICAL SHELL STRUCTURES



EXPERIMENTAL AND ANALYTICAL STUDY OF THE DESIGN OF REINFORCEMENT IN FOLDED PLATES AND CYLINDRICAL SHELL STRUCTURES

A Thouse Submitted

In Partial Fulfilment of the Regulrements

for the Degree of

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CERTIFICATE

This is to certify that the work entitled

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IN FOLDED PLATES AND CYLINDRICAL SHELL STRUCTURES. by Lei Singh

has been carried out under my supervision and has not been submi
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LAL SINCH

To

MY DIG BROTHER

SYNOPSIS

The conventional methods of design of folded plates and cylindrical shell structures need the reinforcement to be placed along arbitrary space curves which is a cumbersome task. Therefore, the necessity of an easier method is felt. ACI Code has given some principles for the layout of an orthogonal reinforcement.

A rational method to design an orthogonal reinforcement in folded plate structures is (a) to calculate the modified atresses termed as design-stresses in two coordinate directions at top, middle and bottom of the assumed thickness by adding absolute values of shear stresses to the net stresses, the later being obtained by algebraic sum of membrane and bending stresses. (b) to calculate the reinforcement for upper half thickness for the mean-value of design-stresses at top and middle and for lower half thickness for the mean value of design stresses at middle and bottom of thickness. This method has been experimentally verified and found safe.

To overcome the intricacy of layout of reinforcement in cylindrical shell structures, a new method of design is to divide the shell surface into different regions according to the load-dispersion directions and then to calculate the reinforcement in strips along those load-dispersion directions. This method needs to be verified experimentally as well as theoremically by computing the ultimate capacity of a cylindrical shell structure designed as above, by yield line theory.

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Load Ve Vertical Deflection at mid Span

Load Vs Vertical Deflection at quarter Span

Safoty-libes uros.

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Load Ve Lateral Strain

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Figure 15:

Figure 16:

Figure 17:

Figure 18:

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d	Distance of the bottom in a retimered and the
O) ¹ L	l'odulus of Elesticity of Colerolo
No.	adalus of Alesticity of Stool
7,0	Concrete cyli der ditrongia
£° c	.1 . zimmi compressive ptres: Li comercte from . opposted
	Curvo
£ C	Street in Street
ault	Ultimito Stress in Steel
Ľ- <u>J</u>	Average Stroom in Concrete/maximum Stroom in Concrete
sen L	dopth of Compressive resultant/ depth of neutral ands
L	Laines stress in Concrete/Cyll.Acr Compressive Strength
1	Transverse Spun of folded Plate or Cylindrical shell
Ĺ	longitudical Spon
n	Modular Ratio of Steel and Concrete
*	Moment in m-direction
Mac	Twisting Moment
4	Ultimate moent
¹ ø	konent in 6 - direction
ti.	Depth of Boutral Axis from Top
N N	Membrane Force in medicaction
M	Shear-fores to redirection on G where

- na licheme orco in Ø = 11_cotion
- pro Component of Estobald Locd Li _ dl_cetion
- py component of alternal road in y- direction
- p component of deviced local 1st as direction (normal to the further)
- da a moor-, orco du a plano
- 4 sacar- Force on Ø pl.ne
- The Rotal Tonoillo . orgo in Year lie hointerconont
- Loud Disporcion Coulficient in :- direction, rolled I
 - β Loud alopo olon Courticient in in disoction region Tr
- e strain
- & Strain in Concrete
- € on Ultimate utrain of Concrete
- eo Struin Corresponding to for in Nognosted Curvo
- epy Yield Strain of Steel
- Euch Ultim to Strain in Stool
- 6c. Stross 14 Concrete
- ou Concrete Cube Strongth
- y Yield Stress or Steel
- Angle substanded at the Centre of Curvature by an arc of Cyl. Shell.

L stand I

I willy a willed

1.1 A write detery of the avolution of the let of analysis and some supplied of the ode of the following.

The construction of the folded plate structures started in twenties. The theories cane later, the first ripercuse theory weing given by Gruber (1)* in 1930. It to the Canfor (1), the confor (1), the canfor (1), the care of the case of the finite of the field that the care of the finite of the field plate with right joints. The joint-displacement were superimposed later. Whitney took the basic structure as a folded plate with hinged-joints and leter superimposed the of cots of the necessity.

Current motiods of similysis will design on the folded-plate structures are the following:

- (n) norm riotrical
- (b) rolded plate theory neglecting joint displacement
- (c) 'olded plate t. cory coacidering joint-displacement
- (a) Llasticity isotiod

In beam method, the cross-section is analysed and/or designed as a simple beam. For design, the shape of the cross-section has to be assumed as the method does not give any basis for the choice of the same, Also, at any cross-section, the shear-stress variation along the width or the individual folds

^{*} The Rumber in square bracket those the reference master listed in the reference list.

is not given. But the not od has its simplicity in the application at any limit state of stress i.e. clustic, yield or withinte, or course, with the necessary ascomptions the model tests conducted by aliferent authors reveal that this met od underestimates the collapse load of folded plate structures.

In network (b) and (c), i.e. The rolded Plate Theory, each fold of the structure is analyzed and designed separately. In the transverse direction, the fold is designed in strips for to normal component of the load as a continuous beam on wayledding supports. This is called the slab-action, next the fold is considered as a deep beam and longitudinal reinforcement is described the beam action. The implane component of the load. This is called the beam action. The implane component is due to: one, the resolved part of the external load, and second, the resolved part of the reactions at the edges from the slab-action.

In the bean action, the top and bottom edges of each fold deflect in their cam planes and thus incompatability at each ridge or valley line is created. If the folded plate is beautly reinforced and is strong in transverse direction, the incompatability is not neglected. This is nothed(b). If the incompatability is not negligible, then relative joint - displacements are calculated and the continuity- conditions are applied. This is method(c).

In methods(b) and (c), after the clastic analysis of the structure, the relatorement can be designed in accordance with white strength theories. Let this design will be quite different from the beam method, because, in this method, all the

valley-lines irrespective of their level, will be assumed to be at the ultim to strain stage of steel whereas according to been mathed, the same valley-lines will be at different strains, the strain builty linearly proportional to the distance from the neutral axis.

The fourth are the nort accurate noted termed as the place tickly dethed is after Coldborg and Love (6). The folded plate is analyzed under combined combines and plate-bending actions. Transverse edge is assumed to be simply supported.

The joint-displacements are expended in terms of mal.-rays fourier-series. The joint-forces are taken as the combination, of joint-displacements, in a manner similar to the slope-deflection equations for a unidimensional member.

Voing a semi-inverse approach, the problem is solved to yield, at every point of the plate, the bending mesent, twisting moment, direct force and shearing force in longitudinal as well as lateral direction. The method is enhanced due to the fact that a computer-condymis is provided by Goldborg, Glass and Setime⁽⁶⁾.

In the first three methods, the exclusion as well as design were discussed simultaneously. The fourth method, besides being meet acquirete, is now emphase some than the first three if a bank congestation to consciptated. The amplicact of its analysis was exercise with the advant of compliancy but that of the design specimen with the advant of compliancy but that of the design specimen in the advant of compliancy but that of the most meet specimen in the scientists. If not impossible, it becomes must difficult be since the sainformment along the principal pal stress temporaries absolutely advants of the along the along the principal.

A more practical approach would be to place as far as possible an orthogonal set or reinforcement except in the some where the principal stresses make an angle close to 45° to the coordinate direction. A brief account of a design procedure incorporating the above idea is explained in Article 2.2 of Chapter II.

1.2 Aim Of The Present Study

The present study comprises of the following three items:

1.2.1 Experimental Verilication of The Proposed Nethod of Design Of

Folded Plate Structures.

1.2.2 Comparison of The Experimental Regults with The Existing Ultimate Strongth Theories Of The Poided Plate Structures.

A reinforced concrete folded plate model(10'x7' in plan) was tested in the laboratory. The strains and deflections at different stages of loading were observed and compared with the theoretically obtained values. The behaviour of the model is described in Chapter III. The ultimate load of the test was compared with the ultimate load obtained by the simple beamphothed. The details of the comparison are given in Chapter IV.

Proposition of a New Approach For The Design Of Folded Plate

1.2.3 Proposition of a New Approach For The Design Of Folded Flats Structures and Cylindrical Shells

Complete analysis of the folded plate structures or cylindrical shells is a sumbersoms problem. The solution of five or
more equilibrium equations taken time. After all the unknown
personters are evaluated, the reinforcement is designed. Although, with the stress of computer, the problem can be colved
more readily, computers are evaluable to everyone. Therefore,
the most of an empiters are evaluable to everyone. Therefore,
the most of an empiters are evaluable to everyone. Therefore,
the most of an empiters are evaluable to everyone. Therefore,
the most of an empiters are evaluable to everyone. Therefore,

simply-supported slabs. In the first method of design, the modified moments $A_{\chi}^{\ \ \ }$ and $N_{\chi}^{\ \ \ }$ are obtained by adding the twisting moments to the semants in x and y directions as follows:

M_x and M_y are formed as the design moments. Plus or nime sign is used depending upon the direction of M_{xy}. Wood⁽⁹⁾ has elaborated the same method in greater detail.

The second nothed is known as the Millerborg's strip method (8). Whereas the first method needs the complete analysis before it can be applied to design, the strip method is a direct method of design. The design moments are directly obtained from the uncoupled equilibrium equations. The Hillerborg's strip method is derived from the Equilibrium Theory (10).

Unfortunately, both these methods are restricted to the slade under the pure moment field.

the folded plates and the cylindrical shells are subjected to the moments as well as the direct forces. The problem of the folded plate structures and its solution, both are discussed in the last pare of the Article 1.1 of the Chapter 1.

when a cylindrical shell surface under load meets the boundaries, the amini and the bending forces are generated. For the analysis of the cylindrical shells, different impostigators have proposed different bending theories. Out of all these theories, the Donnel-Karman-Jenkins (abireviated as D-K-J) Theory (11) is the most accurate one. After this occurate analysis, design and fabrication of the reinforcement still remain the problems

as the reinforcing bars need to be laid along arbitrary space curves.

to solve the above problems, a method has been evolved in the Chapter V. Hillerborg's strip method has been extended and applied to find the axial force and the bonding-moment at any point on the cylindrical shell surface. The reinforcement is: then, designed by the ultimate strength twoory at every point in two orthogonal directions. This is specifically a design procedure. The five squilibrium equations in terms of eight unimoves Nx, No, Nxo; Nxo, Nxo, Nxo, Nx and 40 of D-K-J theory are reduced into two equations with four unknowns Π_{x^2} Π_{x^3} $M_{\rm H}$ and $M_{\rm p}$. In the process $M_{\rm HP}$ is neglected and $Q_{\rm p}$, $Q_{\rm p}$ and $H_{\mathbf{x}\phi}$ are eliminated. Each of those two equations, is uncompled into two sub-equations with the help of a load-dispersion coofficient whose value is known in different regions on the surface of the cylindrical shell. Those four sub-equations are then easily solved for $H_{\rm M}$, $H_{\rm M}$, $H_{\rm M}$ and $H_{\rm M}$ which are the required design-forces and design-moments to calculate the reinforcement.

Cing Tin II

EX ANTALEGAL THVESTIGATION

2.1 Ceneral

Through tests, we always try to see the overall structural behaviour of a structure. Concrete is an unpredictable naterial. Folded plate behaviour is non-linear one, tracking and redistribution of streetes make it still more intricate. All this significs the need of the actual tests to understand the structural behaviour of folded plates at all stages of leading.

A reinforced concrete model of a simple span folded plate was constructed and loaded to collapse. The load was applied by meens of sand-bags. Cracking of the model was carefully observed and marked sequentially. Deflections and strains were measured after each step of loading.

2.2 Design of The Folded Plate rodel

For design of the model the method proposed by Suryanara-yana⁽¹⁸⁾ was used. By the elasticity method $^{(5)}$ of analysis of folded plate structures, $H_{\rm x}$, $H_{\rm y}$, $H_{\rm xy}$, $H_{\rm x}$, $H_{\rm y}$ and $H_{\rm y}$ were obtained. The remaining procedure, due to Suryanarayana $^{(12)}$ is as follows:

- (a) Calculate bending stresses obs. toy town Hz, Hy,
- (a) Coloniate the combined structure at three Levels of the

At top
$$G_{x}(1) = G_{bx} - G_{nx}$$
, $G_{y}(1) = G_{by} - G_{ny}$, $C_{xy}(1) = G_{bxy} - G_{nxy}$
At middle $G_{x}(2) = G_{nx}$, $G_{y}(2) = G_{ny}$, $C_{xy}(2) = G_{nxy}$
At bottom $G_{x}(3) = G_{bx} + G_{nx}$, $G_{y}(3) = G_{by} + G_{ny}$, $C_{xy}(3) = G_{bxy} + G_{nxy}$

(d) Calculate the principal stresses and their directions at

top, middle and bottom,
$$(J=1,2,3)$$
, $\delta_{Z}(J) + \gamma(J) + \gamma$

- (e) Check: If Absolute ($\delta_{x} \delta_{y}$) < 0.01, assume $\theta = 45^{\circ}$.
- (f) Checks If $\delta_2(J) > \delta_0$ or $\delta_2(J) > \delta_0$, (J=1,2,3), Thickness is too small.
- (g) If $\Theta = \Phi \Theta^0$, the reinforcement is calculated as below: See layer major principal stress direction

Top layer steer principal stress direction



Bottom layer major principal stress direction

$$A_{\text{sb 1}} = \frac{\delta_{1}(0) + \delta_{1}(0)}{f_{\text{s}}}$$

Bottom layer minor principal stress direction

$$A_{\text{ep B}} = \frac{I_{\text{e}}}{C_{2}(2) + C_{2}(3)}$$

(h) If $\theta \neq 46^{\circ}$, the modified stresses hereafter called the design stresses are first calculated for top, middle and bottom as below; (J=1,2,3):

$$6^{\circ}_{\mathbf{x}}(\mathbf{J}) = 6_{\mathbf{x}}(\mathbf{J}) + \text{Absolute}(\mathbf{T}_{\mathbf{xy}}(\mathbf{J}))$$

(1) If $d_{\mathbf{x}}^{*}(J)$ is negative, assume

$$\mathcal{O}_{\mathbf{y}}^{*}(\mathbf{J}) = \mathcal{O}_{\mathbf{y}}(\mathbf{J}) + \text{Absolute} \left(\nabla_{\mathbf{x}\mathbf{y}}^{2}(\mathbf{J}) / \mathcal{O}_{\mathbf{x}}(\mathbf{J}) \right)$$

If the later value of $d_y^*(J)$ is negative, semino $d_y(J) = 0$

(11) If ϕ_y (3) is negative, assume

$$6_{*}(3) * 6_{*}(3) * Absolute ($7_{*}^{2}(3) / 6_{*}(3))$$$

If the later value and (3) to mention and as

(141) The relative expect in a and y directions is calculated as below: Top layer, m-direction

 $A_{\text{pin}} = Absolute (<math>d_{\text{m}}^{*}(1) + d_{\text{m}}^{*}(2))$ divided by f_{p} Top layer, y-direction

 $A_{\text{oty}} = Absolute (<math>\delta_{\mathbf{y}}'(1) + \delta_{\mathbf{y}}'(1))$ divided by $\mathbf{f}_{\mathbf{0}}$ better layer, $\mathbf{x}_{\mathbf{0}}$ direction

 $\Lambda_{\text{abs:}} = \Lambda \text{boolute} (\delta_{\mathbf{x}}^{\mathbf{v}}(2) + \delta_{\mathbf{x}}^{\mathbf{v}}(3)) \text{ divided by } \mathbf{f}_{\mathbf{g}}$ intto layer, y-direction

Appy = Auxolute ($\delta_y^*(2) + \delta_y^*(3)$) divided by \mathbf{r}_0

2.3 Construction Of The Model

dacement (a)

The configuration and dimensions of the model are shown in Figure (1). The inner form work was constructed from 1" thick wooden plants. For edge beams and end-disphragus back form work was constructed. The slant folds inclined at 45° free vertical did not need any back form work. The back form work was such that it could be unsersed very easily just after three days of concreting. Special care was taken in the construction of form work. So that it could be removed from the construction of form work. So that it could be removed from the concrete without ruining it. For longitudinal and lateral abritances of the wood quarter-inch wide grooves were provided as shown in Figure (2).

(b) Indicators and

The sale areas and installed in large phases

(1) Properties Canal broken layer, Clear contr 1/8")

- (11) longitudinal stool (middle lyer)
- (111) Transverse stool (top layer, clear cover 1/8")

for reinforcement, local steel bars in two sizes viz. 1/8" diameter (exact diameter 0.126") and 1/4" diameter (exact diameter 0.236") were used. The 1/4" diameter steel was needed for middle-fold lengitudinal reinforcement. For the rest of the steel reinforcement 1/8" diameter steel was used. Lengitudinal reinforcement near and diaphrams was to be kept at 46° as required in design in one foot length from either diaphragms. The lengitudinal steel was then extended for end-diaphragm reinforcement. Spacing of lateral reinforcement for different folds was calculated such that the bars from one fold could be continued to the adjacent folds. This reduced the number of bars required to a minimum.

and were cut out to exact sizes. Curved bars were straightened and bent to the required form. For installing the reinforcement at the required depths, small steel cylinders were used in between two layers of reinforcement. Reinforcement-details are shown in figure (3,4,5,6 and 7).

Proportion of reinforcement Steels

Diamotor	Mela Divoss	paorda esemblaku	Ultimate strain
0.235#	62000 ps1	eno pai	0,0250
0.130n	81000 psi	80000 pet	0.0204

In interactory in Cinius-Olson Footing Inchine on at long toutpieces. Three test-specimen were used for each disnoter.

After the complete installation of reinforcement, buck-form work for and-disphragus and edge beans was fixed by means of 3/16" screws.

Two U" brick walls of length 3 foot and hoight 3 feet were constructed at 10'-2" c/c distance. After three days of caring, the form work with reinforcement was mounted over the brick-walls for concreting.

Six 3H-4 strain gauges were fixed to the $1/4^n$ diameter longitudinal steel for strain neasurement as shown in figure(5).

(c) Conoreting

illz-Doolgns

Mix proportion by weight = 12:2:4

Water-compat ratio = 0.7

Interials used per batch,

Portland coment" = 35 Kg.

Sand = 56 Kg.

2/8" Sizo Aggregato = 112 Kg.

out of 50 kg of sand, fine sand was 42 kg. and ocerse sand was 18 kg.

Iton	Specific Gravity	Finenese Malulus
rine sun	2.55	1.70
Conres Sand	2.00	2,99
ASTROCATO	2.66	***

^{*} Due to poor gracation of send and aggregate. The more coment was added to the original quantity of 25 kg.

the reinforcement from diplocation, guring of concrete moded utmost once.

For quality control, two cubos from each betch were easted. The thickness of concrete had to be one inch except that of the edgebooms and end-diaphrague, therefore vibrator could not be used for compaction in the holds.

in the evening from 6 F.H. to 30 P.H.

(d) Guring

curing was started after 16 hours. Whole of the expended ourface was covered by guiny bags after dipping them in water. Later water was sprayed over them four-times daily. The test cubes were cured by isosping them submerged under water. Guring was stopped after twenty four days for corrying out the instrumentation work.

(e) homoval of form work

on third day, book form work of edgebooms and end-disphragms was removed. Interior form-work was removed on seventh day. For removing the form work of disphragms, the model had to be lifted above its supporting-walls. In the process, a short disponal crack developed in the edge beam at north-east corner. Longitudinal honey-combing in outer plant folds near ridges was also observed when interior form work was removed. Both of these were suspected as weak-spots on the model but through testing they were found to be all-sight.

coldatamentation

(a) Strain Measurement

Figure (3) alove the location of all the strain gauges used. Table No. 1 gives the details of the gauges.

			Table No. 1		
D.io.	oî'	Gimerol	cabo of come	Ceuco factor	lioninel Gaugo longth
1	to	G	S. L.	1.08	€ COM
			A=6-80		
7	to	12	Noso tt es	2.02	5 mi
			Tar-6r		
13	to	16	kg = 10	1.98	30 ma
16	to	38	CT - 12	2.01	12 cm

with one strain-indicator and three switching and balancing units with another strain-indicator were used. Channels from serial number 1 to 10 were connected to first switching unit and from serial number 11 to 15 to the second switching unit.

Both of these units were then connected to a strain-indicator. Channels from serial-number 16 to 25 were connected to the first switching and balancing unit, sorial number 26 to 26 to the second switching and balancing unit and from serial number 36 to 38 to the third switching and balancing unit. All these three were then connected to a second strain-indicator. For temperature compensation, dumay strain-gauges one ER-d strain-gauge for channels 1 to 6 on the steal and one resette Sam-ER for channels 7 to 12, one 12-10 etrain-gauge for channels 10 to 15 and one

used.

half bridge circuit was used for strain neasurements, there being two active gauges, one on the model and another dummy gauge on steel-bar-piece or the concrete cube.

(b) Defloction Monsarements

Figure(0) show the location or all the dial-ranges.

Total thirty dial-gauges were used, twenty-four for measuring vertical deflections and six for measuring horizontal delications.

For installing the dial-gauges, thirty concrete cylindrical supports were casted with 8" long slotted angle-irons embedded in them. To this embedded slotted angle, another piece of slotted angle of required height was connected by means of scrows, at the top of which the dial-gauges was fixed to read the deflection of the desired point on the model. Thus after all the thirty dial-gauges were positioned, the supports were rigidly fixed to the floor with the help of planter of paris.

(c) Apocial Details

whole of the interior and exterior surface was white-washed for easy observation of exacts.

To avoid any unexpected erushing of brick-walls beneath the end-displacement under heavy loading, two, eight foot long, four inches wide and quarter-inch thick steel bearing plates were used.

0.5 Loading system :

as the loading on the inclined folds poses practical problems, only the horizontal folds were loaded in the experiment and the folds, plate was assigned and designed for this loading case. In uniform loading over the thole surface of the folded plate,

the load contribution from the outer shart fold 2 3 (Aefer figure 1), was kept on the adjacent horizontal fold 3-4. Similarly the load of folds 4-5 and 6-7 was kept on middle herizontal fold 5-6. Thus the load on fold 5-6 was 1.51 times the load on the fold 3-4 or fold 7-3.

psi on middle horisontal fold and a load of Sel psi on the other two horizontal folds. This was equivalent to 100 psi of average load on whole surface.

For loading, send-bags and bricks were the two choices.

With bricks, there seemed greater possibility of arch action with the increasing central deflection. Besides, piling bricks on horisontal folds would have needed more head-room for the same load compared to send bags. Therefore sand bags were used as a better choice. The bags were kept one above the other and it was seen that the columns of sand bags did not have any interaction with each other. This assures that the leading was directly tremnsferred to the folded plate uniformly and there was no arch-ention.

2.6 (a) Testing

All the instrumentation was checked theroughly before the test was started. The test-programm was proposed to be executed in two phases.

- (1) To load the model upto working load and them to unload it, Pigure(10).
- (11) to load the model upto collapse land, Figure(11).

the property of the close from the 18th and an expectability will be property and residing the free one of the first that the first the first that the first

step consisted of the followings

- (a) To place 6, 66 lb, bugs on middle horizontal fold.
- (b) To place 6, 88 lb. bags on one upper horizontal fold.
- (c) To place 6, 88 lb. bags on other upper horizontal rold.
- (d) To place 6, 66 lb. bags on middle horizontal fold.
- (e) To road the diel gauges.
- (f) To read the strains.

A two layer comple loading (two stops) with the dialgauges positioned on floor is shown in Aigure (18).

Average intensity of loading obtained per step was 21.34 per. The model was loaded upto fourth step i.e. 85.36 per. No. cracks were visible on the structure. Loading was then removed.

Second phase of loading was started next-morning.

Zero-load readings were taken, loading was then started. Upto

five steps of loading i.e. 106.7 psf average, there was no sign
of crack.

Ine first-creaks were observed through sixth step of loading i.e. 128 per average. They were immediately marked. Through eighth step of loading i.e. 171 per average, the middle half span had developed the arabke roughly at every one foot interval of eige-beams and middle horizontal fold. The creaks, due to immittational bending tensile sures, had propagated transversely from bottom fibre upto approximately the balf-depth of plant-folds.

The contained was entended to the inet was altered to the inet was allered to the inet was altered to the inet was allered to the inet was altered to the inet was allered to the inet was all the inet

loading 1.c. Out per average. Int the structure was still quite intact. All previous cracks had propogated further. New cracks appeared only in the middle fold in outer quarter-opens but not in edge-boars. To longitudinal crack was so far observed. One hardred bags were again propased and the model was loaded. This was after one week or previous loading. Through fifteenth stop of loading, the model had shown enormous cracks, Figure (11). Complete collapse was expected in sixteenth stop, therefore, all instrumentation was removed. Sixteenth layer of bags was kept very carefully. Against everybody's expectation the model still stood. Long diagonal cracks in the inner stant folds had propogated from the lower edge upto the upper edge at 40° approximately.

begs had become very difficult and risky. The bead-room, also, was not available, Figure(11). Therefore, the test was abandoned here.

(b) Rafoty-Recourse

For reading dial-gauges, at every step of loading, a man had to go become the model. For his safety, two channels, one at mid-open as other at quarter spen were laid just two-inches below the edge beens, in the transverse direction, Figures (10,14) so that if the model collapses suddenly, it will rest on the channels and not reach to the floor.

After twolve layers of bags on the notal, the beight of bags was nearly ten foot. The area on which these bags rested was only one foot which so that bags were much expected to topple in transverse direction. The labourers had to make ever the bags for
laying you dags. Experience to prover the topples, olde-otauto

were fixed, as shown in Figure(11). Small wooden struts were also fixed between the middle pile and side piles, so that the side piles may not full towards middle one. For the safety of labourers, welking at the top of bags, a rope was hing from the roof truss as shown in Figure(11).

Dehaviour of the model is explained in Chapter III.

CHAPTER III

DAMANIOUR OF THE LOID D STATE MODEL

3.1 Comeral

The behaviour of the model has been described in three periods of loading. Strain-variation, deflection and crack-propagation are discussed foreach period of loading. The time- effects
of the sustained loading between two consecutive loading-periods
are also discussed. homoeforth, this effect would be termed as
the time-effect in between two periods of loading. The strainreadings are not fully reliable, however, the best possible usage
has been made of their variation, in bringing-out the facts of
actual behaviour of the model and of the redistribution of stresses in the lateral and longitudinal directions.

3.2 Loud Vs 3train

For the location of the strain-gauges see Figure (8).
3.2.1 Longitudinal (Refer Figure (15))

The total longitudinal strain-behaviour observed through fourteen strain-gauges can be summed up as follows:

Throughout the first period of loading upto 170 pounds per square foot average) the whole mid-span cross-section showed the tension including the upper horizontal folds. The time-effects of the sustained loading was that the middle fold showed further tensions thereas the edge beams; strains reduced a

Throughout the second period of loading upto 856 pereverege) equin the whole mic-open transverse section showed
tension. The time-offset of the sustained loading was just
prevent of the carling time-offset. The straine in the middle

increased by an increment greater than their original values.

Through the thand and final period of loading upto BAI paf average), the whole whi-span cross-section underwent elongation.

According to the magnitude, the tensile strains were higher in the middle-fold compared to the edge-booms, although the bottom fibre of the middle fold was four-indeed above the bottom fibre of the edge beam where the longitudinal strains were measured. Through the first time-effect and the second period of loading, the middle fold elongated more compare to the edge-beams. The second time-effect changed the whole pattern of the strains. Whereas the strains in the middlefold came down to very small values, the strains in the edge-beams increased to very high values.

3.2 Lateral (Hofor Figure (16))

The total lateral strain behaviour observed through the eighteen strain-gauges (Figure (8)) can be sugged up as follows:

The lateral strains have shown the constant increase with the increase in the local.

Throughout the first period of leading (upto 170 per everage) the strains increased non-linearly with the load. The time-effect of the systemed leading reduced all the tensile strains and increased all the compressive strains. The exiginal tensile strains on mid-span of the middle fold increased by a small increased.

Throughout the second period of leading (upto 856 psf average)
the strains again increased non linearly with the load. The timeeffect of this sustained leading was to increase all the tensile
strains by an increasent greater than their original values. Even
the compressive similar at the upper affect of the class folds show
the traps tension effects. Exceptions was the increased.

gauges fixed in the middle fold at mid-spun whose original large tompile values were changed to the compressive values.

Froughout the tided period of leading upto 341 per ever-

The mid-span strain-gauge readings reflect that the prototype behaviour on citier sides of the longitudinal centre line was not identical.

3.2.3 Hogottes Observation

Through the first period of loading, the resettes, Figure (3), showed constantly increasing tensile strains. The time effect of the first custained loading (170 psf. average) was to boost up the original values by the increments greater than the original values.

Increasing. The time-effect of this sustained leading (256 per. average) was just reverse of the earlier time-effect. All the strains changed to the compressive values.

Through the third period of loading, (upto 341 per. average) the compressive atfairs kept reducing.

3.3 Load Vo Deflection

Dial-gauge locations are shown in Figure (9).

The observed vertical deflections are more as we move from the edges towards the centre. The maximum vertical deflection of 9.97 am was observed at mid-span of the middle fold which was more than double the deflection of mid-span points on the edge-

one typical observation was that, whereas the west-side offer past about showed now deflection compared to the east-side offer

been, the west-side upper horizontal fold slowed less deflections compared to the east-side upper horizontal fold.

The load-deflection graphs are shown in Agures (17,13,10). The graphs show a non-linear variation upto the final observations, as the curves denot show any yield in deflections, it is supposed that the structure would have taken still more load.

three-quarter spans of edge beams on the exterior sides denot seem to be reliable as their variation is too random, Figure (19).

3.4 Lood Vo. Crack-propagation

Cracks vero observed on the whole interior surface and on the exterior surface of edge beans and the adjacent slant-folds .

The first transverse creak was observed at 128 psf. (average) of load in the east edge-beam at mid-span. In the next step of leading 1.0. at 169 psf. (average), the other edge-beam cracked at mid-span and quarter span. The first creak of the vest edge-beam propagated further with no crash of other sections.

The first transverse creak in the middle fold was observed at 170 pef. (average) at mid-span and quarter span. At this load-ing, the east edge-beam also creaked at the quarter span. Through the next step of loading i.e. 192 pef. (average), creaks were observed at three quarter span in both edge beams as well as in the middle fold. The middle-fold creaked at two more sections between the mid-span and three quarter span. The creaks of the edge beams propogated through their full depth of 4" in the edjecent folds, through approximately helf of their plant-depths.

This at every step of Localing, the old erects propognical surther and the new create developed.

At 250 per. (average) of loading, the middle half epen how developed the cracks at an approximate specing of one foot.

show any new cracks. The old cracks propogated through the adjacent shart folds upto nearly two-inches from top-edges at midepan and upto four-inches from top edges at other sections. The middle fold showed new cracks in the remaining span-lengths also. The nearest cracks were one-inch from the end disphragus. In fifteenth and sixteenth steps of leading i.e. 341 pef. (everage), the inner slant folds cracked diagonally. The diagonal cracks started from the edge of the middle-fold from a point about one-foot away from the end-diaphragm, at 45° in the slant fold and reached upto its top edge.

In the whole structure, only a single small longitudinal crack was observed in the middle fold in the last quarter span.

When all the loading was removed after ten days, similar diagonal cracks were observed in the inner slant folds at the top surface. These diagonal cracks had propogated longitudinally along the upper edges of the slant folds to join each other.

The upper horizontal folds did not show any cracks at all.

The cracks in different folds are shown in Figures (13,14, 20,21 and 22).

CHAPTER IV

TOBORETICAL INVESTIGATION

4.1 Ultimate Load Of The rolded Plate Model as a Bean:

In the following lines, the ultimate load of the folded plate has been calculated from its ultimate moment capacity at
the mid-open section. The reinforcement is shown in Figure (23).
The twenty-two bers in slant folds are distributed in seven layyors. They have been assumed to be placed at one point in the
middle of those seven layers. This assumption does not cause my
error because the bars are identically placed above and below
that level. Thus the total bars in the section are now assumed
to be in seven layers instead of thirteen layers.

Usual assumptions of simple bending theory are made in this calculation also. For calculating the compressive stress at top in concrete, Hognested stress-strain curve has been used. Neutral axis is assumed to be at 1° from top(Different values were tried but 1° depth gave best comparison of compressive and tensile forces).

Emmple: Refer Figure(23 and 24)

Datas

Concrete cube strength ' cu ' = 4900 psi

T.	ST CLE PADE				TAL STA	Dags.
		- BASE	Compatible or the August 1115	475		
Street	81,000 per	DE,000	pat 8	1,000ps1	82,860	pas
	0.0145	0,0167		-0804	0.0050	

Volum Rognostud stros: -strain curve for compreter

$$f_{c} = f_{c}^{"} = 0.85 f_{c}^{"}$$
 $f_{c} = 0.80 f_{c}^{"}$
 $f_{c} = f_{c}^{"} = \frac{\epsilon}{\epsilon} - (\frac{\epsilon}{\epsilon})^{2}$

Strain in the top tibre of concrete in compression (from strain diagram, Figure (24))

- m 330 x 0.00
- a 2007 psi

Compressive force in concrete above the neutral curis:

- = 2/3 x 2897 x 0.88 x 1 m 24
- = 40800 lbs.

(For calculation of C_{11} , above formula holds because for 1^n from top, the section is composed of two horizontal folds. For the depth more than 1^n , the formula will not hold)

Tensile force in steel bars below the neutral exist (Hefer Figure (24))

T. = 49000 x 0.0496 + 71000 x 0.2728

- + 51000 x 0,172 + 81000 x 0,0248
- + 4 x 80000 x 0,0248
- * 9455 + 19400 + 8770 + 2010 + 8840
- = 40876 lbs.

Toking memont about neutral axis

M₁₁ = 2466x 4,85 + 19,400 x7,8

- + (8700 + 2000) x 10.0
- + 8060 x (13+13.7 + 14.5 + 15.1)
- + 01000 x (1-0.8 x 0.88 x 1)
- # 10,400 + 151,000 + 117,000 + 116,000
 - + 87,600
- * loinches
- # Note

Equating the external Bonding Donest to ultimate moment capacity of the section

= 12,67 tons

Comparison of the Experimental and Theoretical results:

The model under test was loaded to sixteen steps of loading. Each step of loading was equivalent to a total load of 0.825 tone. Thus in the sixteen steps, the total load on the model was 13.8 tone. This is 5% greater than the theoretically obtained load of 12.67 tone. This shows that the model was designed safety, and hence the method adopted in the design of the model can be recommended for the design of the folded plate structures.

CARPTER V

CALIEDRICAL I LL DILTE - A HAN HATI CO

5 1 Proposition of a New Method of Decign of Relaforcement in Cylindrical Lholl Structures:

The analysis and design of cylindrical shell structures involves solution of ive equilibrium equations. No unknowns H_{K} , H_{ϕ} , $H_{K\phi}$,

for the design of slabs which is a direct design-procedure. The whole slab surface is divided into regions according to the load-dispersion directions with the help of stress- discontinuity lines, Figure (28). The strips are then designed along load-dispersion directions which is an extremely simple job.

an estant has been made through this chapter to extend and apply the strip-method in the design of cylindrical shell structures. The original structure method is applied to design the plane slabe under the effect of pure moment field. The cylindrical shell curious is a majoral structure under the effect of moments as well as majorant forms.

Equations of applituding in Daker. Theory are an follows:-



$$\frac{\partial k}{\partial \eta^{\alpha}} + n \frac{\partial x}{\partial \eta^{\alpha}} - \delta^{\alpha} - \gamma^{\alpha} = 0 \tag{)}$$

$$\frac{\partial x}{\partial y^2} + \frac{\partial \phi}{\partial x} - \alpha \phi^2 = 0 \tag{3}$$

$$\frac{\partial d\phi}{\partial \phi} + a \frac{\partial d\phi}{\partial x} - a Q = 0 \qquad (4)$$

$$a \frac{\partial x}{\partial x} + \frac{\partial x}{\partial x} + x + x + x = 0 \qquad (v)$$

ese are five equation, in terms of eight unknowns

Dif erentiating(1) w r. to x, results in

$$\frac{\partial \mathbf{x}}{\partial \mathbf{x}} + \frac{1}{2} \frac{\partial \mathbf{x}}{\partial \mathbf{y}} + \frac{\partial \mathbf{x}}{\partial \mathbf{y}} = 0 \qquad (7)$$

Differentiating(2) were to ϕ , given

$$\frac{\partial \phi_{2}}{\partial \phi_{1}} + \frac{\partial^{2} \phi_{2}}{\partial \phi_{1}} + \frac{\partial^{2} \phi_{2}}{\partial \phi_{2}} + \frac{\partial^{2} \phi_{1}}{\partial \phi_{2}} + \frac{\partial^{2} \phi_{2}}{\partial \phi_{$$

Dividing(8) by a2, gives

$$\frac{\partial^2 u_{\phi}}{\partial x^{2}} + \frac{\partial^2 u_{\phi}}{\partial x^{2}} + \frac{\partial^$$

substructing(7) from (9), one obtains

performation (3) were to a

All oranticular (3) were to ϕ

devalle, (12) by a

1441mg (6) and (14)

Substituting for $\frac{\partial Q_{\phi}}{\partial x^2 \partial \phi}$ from (11) in (110)

To realize the strip-action, we neglect $\gamma_{x,\phi}$ from equations (15) and (16) as decomposed by Millerberg's strip suched (γ) .

Equation(10) time reduces to

and equation (26) remove to

Uncoupling ognition (III) sate tan

$$\frac{2^{2}}{2^{2}}$$
 = $(1 \cdot \times)$ ($\frac{1}{2}$ + $\frac{1}{2}$)(170)

Binilarly uncoupling ocuation(18) into two

$$\frac{\partial^2 \Gamma}{\partial z} = \beta \left(\frac{\partial^2 \Gamma}{\partial z} + \frac{\partial^2 \Gamma}{\partial z} + \frac{\partial^2 \Gamma}{\partial z} \right) = \frac{\partial^2 \Gamma}{\partial z}$$

$$\frac{3}{2}$$

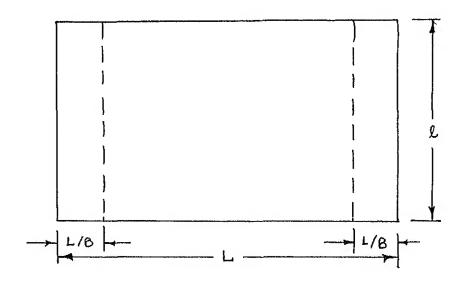
In this uncoupling process, the terms $\frac{n_{\phi}}{a}$, and $\frac{2^{2}n_{\phi}}{a^{2} \rightarrow a^{2}}$ in equations (17) and (13), have been kept on right-hand side and assumed as the leading terms.

As Π_{ϕ} and Π_{ϕ} are the internal force, one may argue that the uncoupling should be

This sort of precess was tried but the differential equations thus obtained for n_{ϕ} were identically equal to zero in both regions i.e. on either sides of discontinuity line and hence this was abandoned.

as an example of the use of the above set of equations, a single optimized shell roof simply supported on all four edges is designed for a undformly distributed vertical load. The plan-form of the shell is shown in Figure 85. For simpli-city subs, the lines of strong-disconsidentity are assumed as shown in Figure 85. It is realised that these lines of distributely will not brucky represent the local-dispersion is the

two mitaally perpendicular directions.



Dotted Lines-Stress-discount multy line

Firm Lines - All sides simply supported side All roller supported

145**120** 25

cubotituting the values of \angle and β for RECION II, the four equations (17,18) reduce to

$$\frac{3}{3}$$

$$\frac{3}$$

and substituting the values of \prec and β for REGION I , the four equation a recise to

$$\frac{\partial \mathcal{L}_{1}}{\partial \mathcal{L}_{1}} = 0 \qquad \text{(200)}$$

For university distributed load '2' over whole cylindrical shell surface as shown in Figure SC

$$p = p \cos \phi$$

$$p = p \sin \phi$$

Figure 26 Substituting this in equations set(20), we get, for RoGIOH I

$$\frac{\partial^2 f}{\partial x^2} = -\left(\frac{11\phi}{6} + 9 \cos \phi\right) \qquad \dots (23a)$$

suictituding the values of p_g : p_{ϕ} and p_{x} in equations set(10) we got, for residul II

$$\frac{\partial^2 \Pi_{\phi}}{\partial \theta^2} = -\left(\frac{\Pi_{\phi}}{\Omega} + p \cos \phi\right) \qquad \text{(CD)}$$

Solution of equations-set(S1) for HMHON Is-

$$\frac{\partial^2 \Pi}{\partial x} = \left(\frac{\Pi \phi}{\phi} + D \operatorname{Con} \phi\right) \qquad \dots \text{(E1a)}$$

$$\frac{\partial \partial \Phi_{B}}{\partial u} = 0 \qquad ...(539)$$

Taking equation (21b),

Integrating twice with respect to ϕ , one gets

. ouriery Comittinues

While there $C_3 = 0$, $C_0 = 0$

Walding oquation (21d),

Integrating twice with respect to 9, one gets

As the load in MACION I is dispersed in x-direction only, if will be equal to zero at $\emptyset = \emptyset_0$ and $\emptyset = -\emptyset_0$

and hence $\Pi_{\varphi} = 0$

Teking equation (Slo),

Integrating twice with respect to z , one gets

Boundary Conditions

Liereforo

Zuituj oquation (flo) ,

ubetituting the value of no = 0

Integrating twice will respect to x, one gets

Moderary Conditions

Therofore

Solution of equations- set (22) for RMIOS II:

$$\frac{3}{8} \frac{1}{9} = -\left(\frac{11}{9} + p \cos \theta\right) \qquad \text{(E00)}$$

Tille o Hallon (Uta)

Lito ruting once with respect to it, one gots

the leading, $\frac{\partial L}{\partial x}$ will be equal to zero at x = 1/0, thereto.e $U_0 = 0$, therefore $\frac{\partial L}{\partial x} = 0$

integrating once egain with respect to in one gots

Taking oquation (fro) ,

Integrating once with respect to z , one gots

Due to the symmetry in Geometry of the cylindrical shell end the localing, $\frac{\partial R}{\partial R}$ will be equal to some at z = L/R, therefore $C_{11} = 0$, therefore

Integrating once again with respect to z, one gots

supplies activations (1961) 1 ...

Its colution is

as the load in region II is dispersed in \$\phi\$ - direction only, an arch-like strip of unit width in a direction) can be assumed. This strip shall be under the effect of a vertically down-ward load 'p' per unit of curved longth. To avoid any horizontal reaction at the longitudinal edges, one of the two hinged supports is assumed to be a roller support, liquic (%).

The strip shall not be subjected to any shear force at any point on either of the side faces because $N_{\mathbf{x}}$ and $N_{\mathbf{x}}$ are constant along \mathbf{x} direction in region II.

Vertical reaction at Ø = Ø will be

and its component along the tangent to the curve at $\emptyset = \emptyset_{\mathbb{Q}}$ will be

As H o is given by C13 Cos Ø , at Ø = Øo

Equating it to pa G Sin So , one gots

C18" PAS SON S

Therefore.

To a month ten & con a

Publica acception (276)

$$\frac{\partial^{2} d}{\partial x^{2} \partial x^{2}} = -\frac{\partial^{2} d}{\partial x^{2}} - p \cos \beta$$

substituting the value of sig in the above equation one gots

 $= -p (\emptyset_c \tan \emptyset_c + 1) \cos \emptyset$

Integrating twice with respect to 0 , one gots

 A_{\varnothing} = + p a^{\square} (\varnothing_c tan \varnothing_o + 1) Cos \varnothing To evaluate the constants, C_6 , C_7 , C_{10} and C_{12}

in History I i-

$$\Pi_{\mathbf{x}} = \frac{1}{a} \cos \theta \quad \pi^2/2 + C_5 \quad \mathbf{x}$$

$$\frac{y_{1}}{2x} = \frac{p}{8} \cos p \cdot x + c_{5}$$

$$\frac{\partial \Omega_{\mathbf{x}}}{\partial \mathbf{x}} = \mathbf{p} \cos \mathbf{x} + \mathbf{c}_{\gamma}$$

At x = L/8

$$H_{z}$$
 = $\frac{P}{a}$ cos ϕ . L²/ 128 + C₀ L/8

$$\frac{\partial R_{\mathbf{A}}}{\partial \mathbf{A}})_{\mathbf{1}} = -\frac{\mathbf{P}}{\mathbf{A}} \operatorname{Cos} \emptyset \quad \mathbf{I}/8 + \mathbf{C}_{\mathbf{S}}$$

In PAGION II:-

at = 1/8

$$\frac{3x}{3x^2})^2 = 0$$

Educative H*) 1 3H) 1 4 2H) 1 4 4 2H

From 38.)

1. C. 4 ... 4 1/0

or
$$C_{10} = \frac{1}{2} \cos \theta \cdot 71^{2} / 173$$

or $C_{10} = \frac{1}{2} \cos \theta \cdot 71^{2} / 173$

or $C_{1} = \frac{1}{2} \cos \theta \cdot 78 + C_{2} = 0$

or $C_{2} = \frac{1}{2} \cos \theta \cdot 78 + C_{2} = 0$

or $C_{3} = \frac{1}{2} \cos \theta \cdot 78 + C_{3} \cdot 178 = C_{10}$

or $C_{30} = p \cos \theta \cdot 78 / 123$

Hus, finally one has:

In R. GION I,

$$H_{xz} = p/a \cos \beta x/2$$
 (L/4-x)

and an Medica II

$$H_{\rm g} = p/a \cos \phi$$
. $71^2/128$

$$H_{\phi} = p e^2 (\emptyset_0 \tan \emptyset_0 + 1) \cos \emptyset$$

Once the values of n_x , n_y , n_y and n_y are known at different points on the cylindrical shell surface, the reinforcement can be designed by the ultimate strength design procedure as follows:

Assuming the belanced failure, the noutral axis is given by.

$$m = \frac{\epsilon_u}{\epsilon_u + \epsilon_{su}} d$$

$$u_u = \frac{c}{c} = \frac{c}{c} \frac{d}{c} b = \frac{c}{c} \frac{d}{c} + \frac{c}{c} \left(\frac{c}{c} + \frac{c}{c} - \frac{c}{c}\right) \frac{d}{c}$$

$$u_u = \frac{c}{c} \frac{d}{c} b = \frac{c}{c} \frac{d}{c}$$

$$u_u = \frac{c}{c} \frac{d}{c} \frac{d}{c} b = \frac{c}{c} \frac{d}{c} \frac{d}{c}$$

the enternal compressive numbrane force if will be given

$$I = C_{u} - N_{u}$$

$$= P/O \int_{OU} b \, k_{1} \, n + A_{00} \, (\, f_{uu} - P/O \, f_{uu}) - A_{00} \, \int_{OV} -(1)$$
The enternal bording moment will be given up,

In the expressions for H and H , the only unknowns are $A_{\rm rec}$ and $A_{\rm rec}$ which can be easily evaluated.

If the nombrane force '.!' is tensile benides the bending moment i, the procedure will be as follows:-

Total steel area needed $A_T = W f_{ga}$ assuming that the section does not take any tension, from the steel beam theory

Compagn VI

COLUMNIONS AND RECOLLADATIONS

- (a) the procedure for the design of reinforcement in folder plate structures proposed by Suryanaraya (10) is safe as observed the ough the experiment, discussed in Chapter II, III and IV. Vertically its authenticity by testing one or two nore models of the folded plate structures of different sizes and chapes, the procedure can safely be recommended for the decign of reinforcement in the folded plate structures.
- b) the two basis of inflored anothed (?) of calculating the design monomers as $\lim_{x \to \infty} \frac{1}{x} = \lim_{x \to \infty} \frac{1}{x} = \lim_{x$

or the cylindrical shell structures:

- (c)Criterion for the choice of the street-discontinuity- lines representing more realistic local-dispersion(than that adopted in article 5.1, Figure 25), needs to be evolved,
- (d) It is recommended that a series of experiments should be conduoted to study the structural behaviour of the cylindrical shell structures.
- (e) From the experimentally observed failure models, an appropriate yield line pattern should be chosen on the cylindrical shell surface and then its ultimate load capacity should be computed by yield line theory.
- *ithispeds and has beressdo piletnessroom and to meaturement with (1)

the procedure proposed in this discertation.

(c) The yield- criterion unfor the effect of bending and membrane forces needs to be studied before its application in the computation of the ultimate strongth of the cylindrical chall structure by yield-line theory.

the procedure proposed in this discortation.

(3) The yield- criterion water the effect of bending and membrane forces needs to be studied before its application in the occupation of the ultimate strength of the cylindrical shall structure by yield-line theory.

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TAME NO. 2 *Plotted in Fig. 15

Londing Re-	4	Langitudinal Strain	1 Stradn					H	Lateral Strain	rein		
(21.3k par)	*	Strein Gauge Ausber	Jedinie of	·				Str	Strain Gauge	Burber		
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TABLE NO. 3 * plotted in Fig. 16

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TARIE HO. 4

(*Average values Piotted in Fig. 17)

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TANK ID. 5

(*Average values Plotted in Fig. 18)

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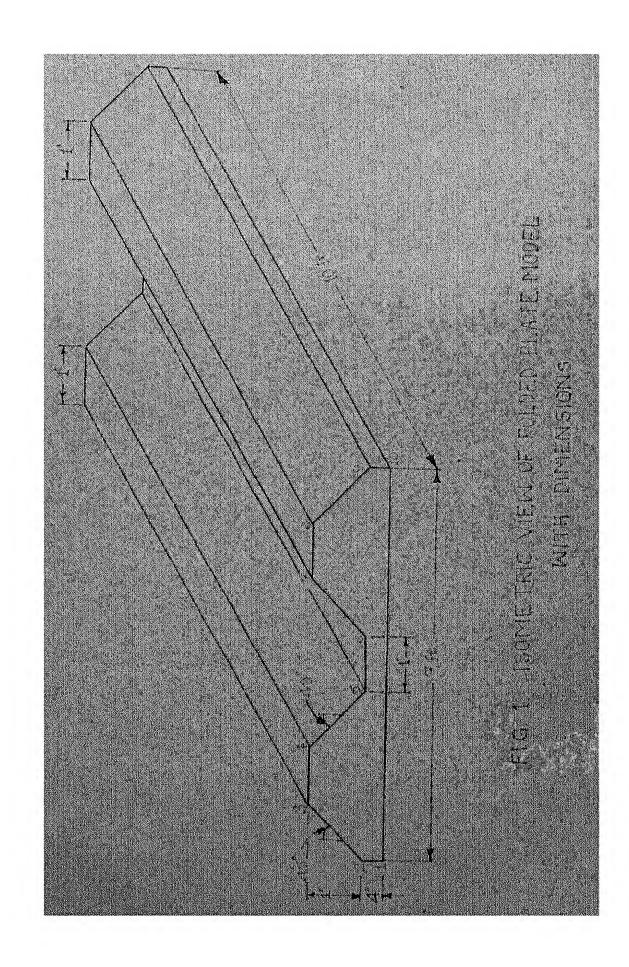
TARE NO. 6

(*Average values Flotted in Fig. 18)

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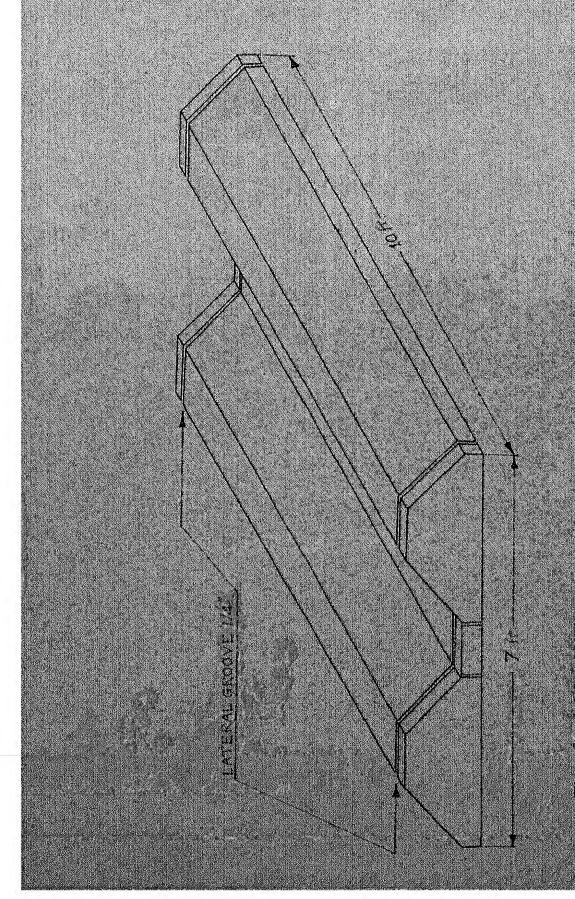


FIG 2: 150 METRICVEN OF WIFROR: FORM MORK MITH 42' GROOVE

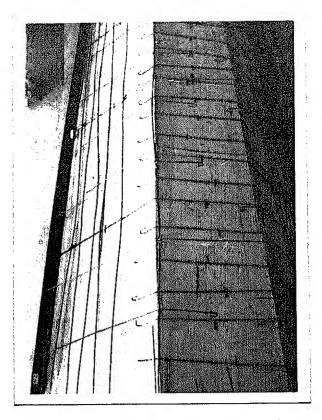


FIG.3

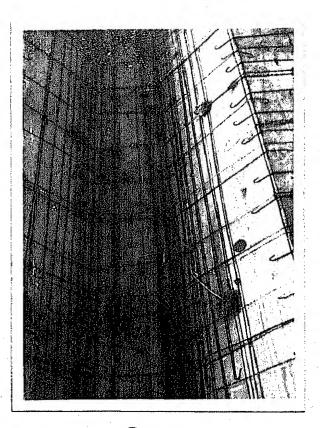
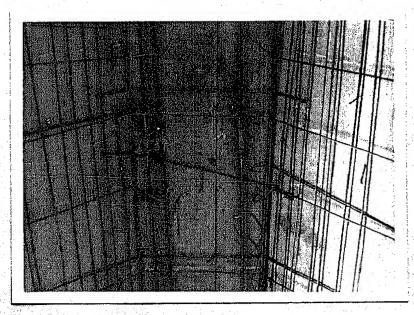


FIG. 4



HG.5

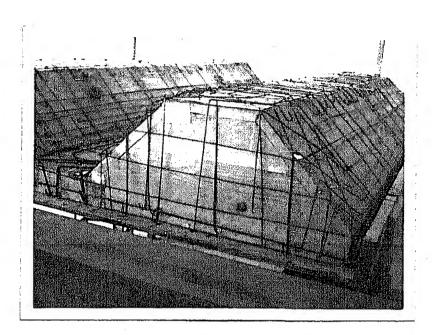


FIG. 6

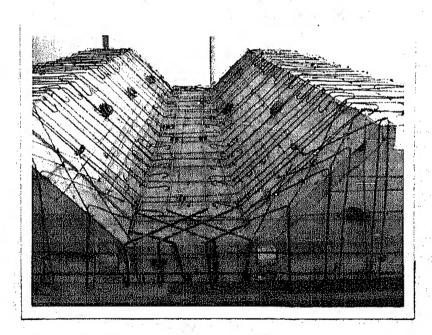
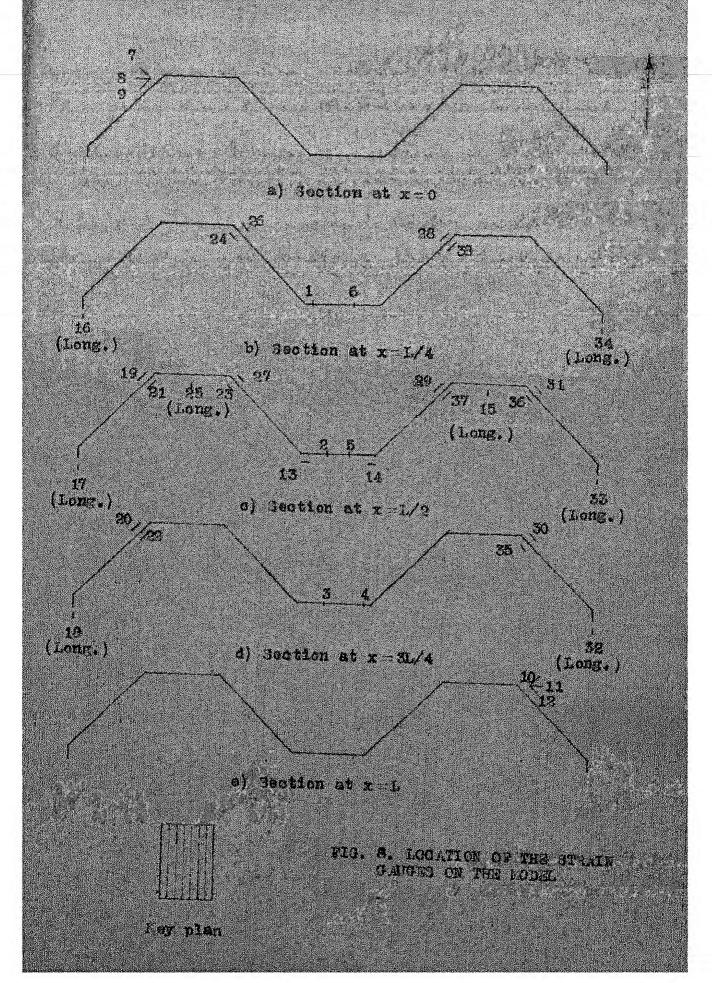


FIG. 7



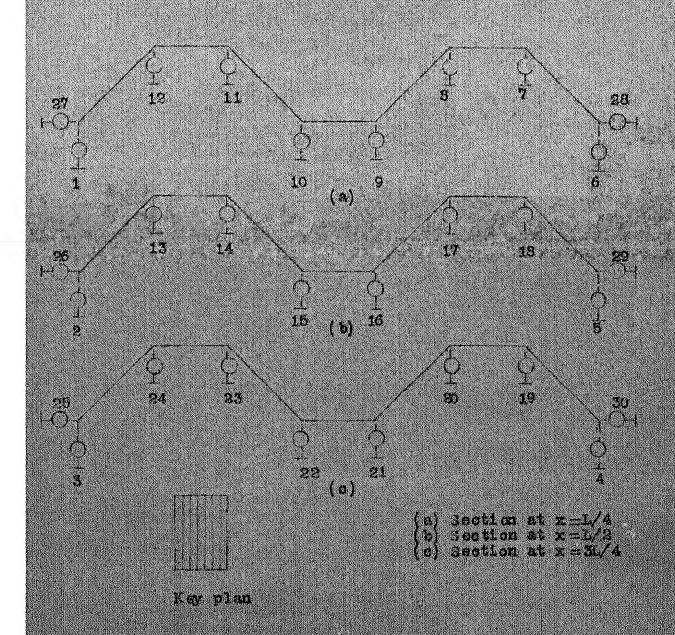


fig. 9. Location of the dim bauges on the model

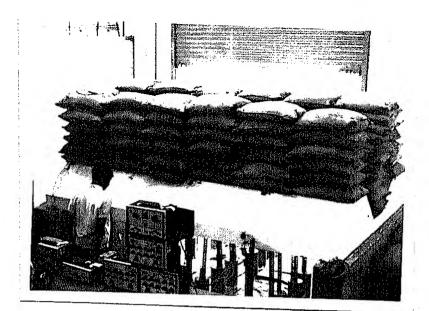
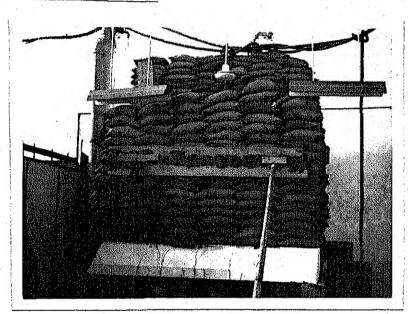


FIG. 10





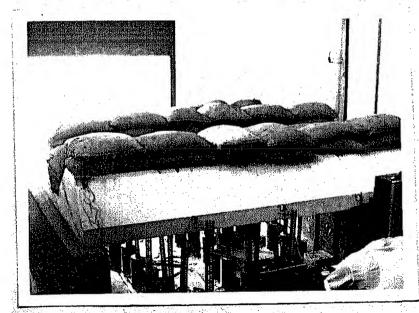
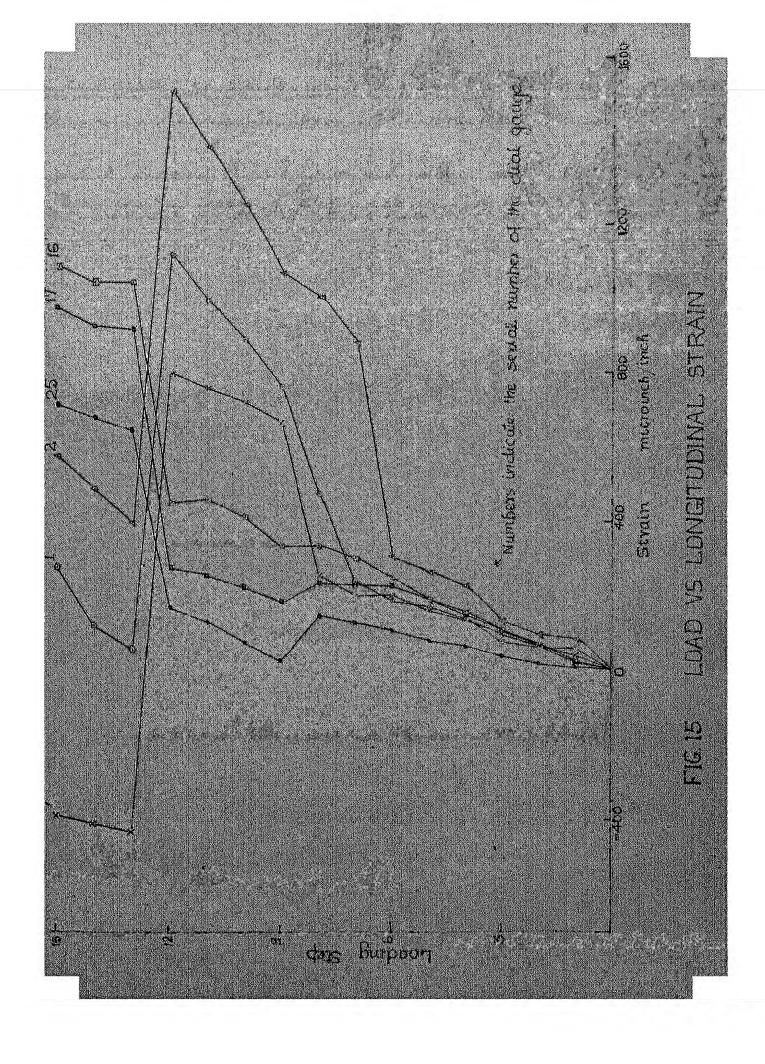
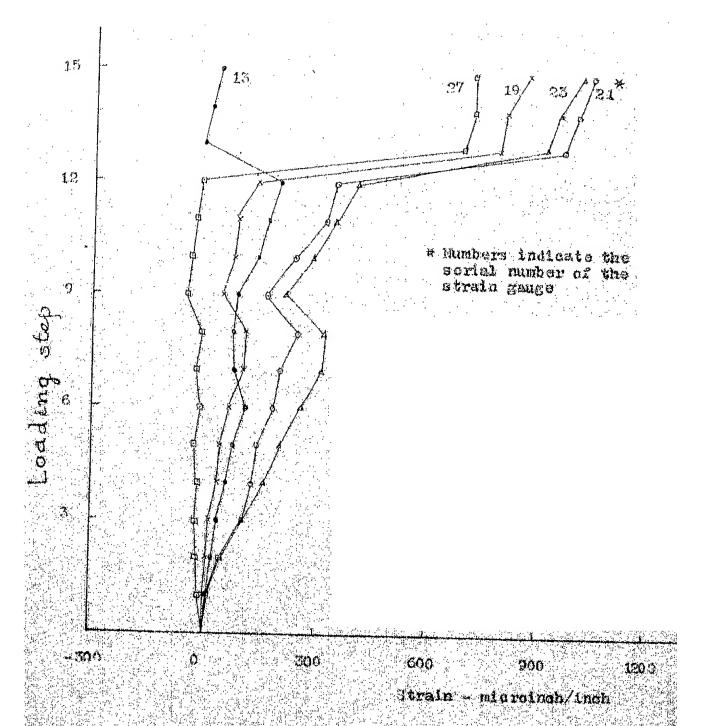
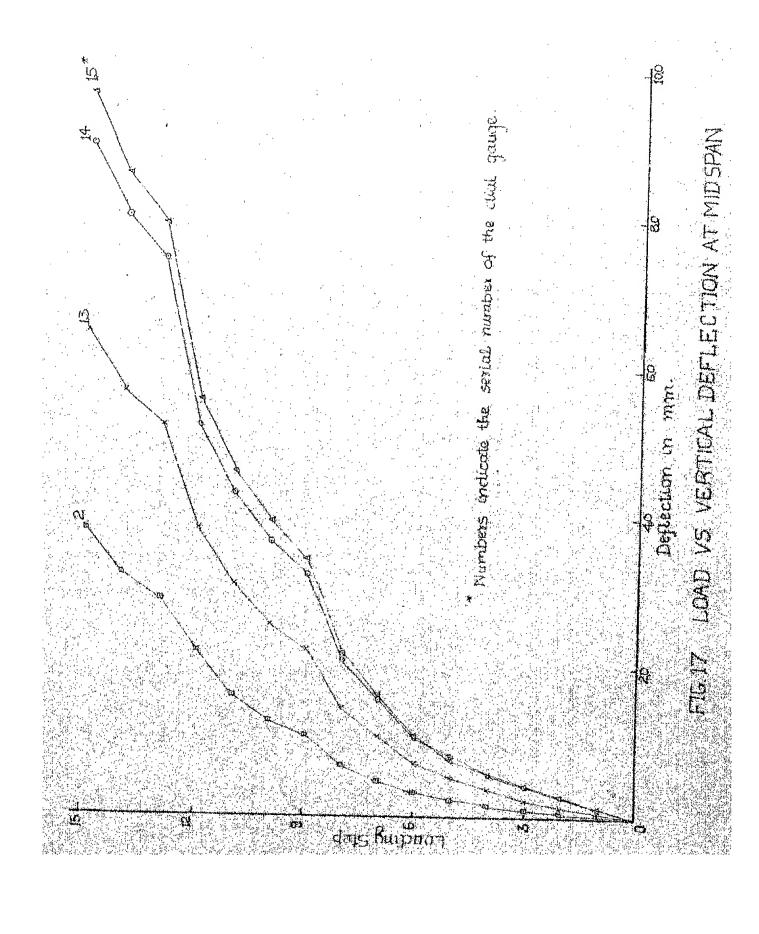


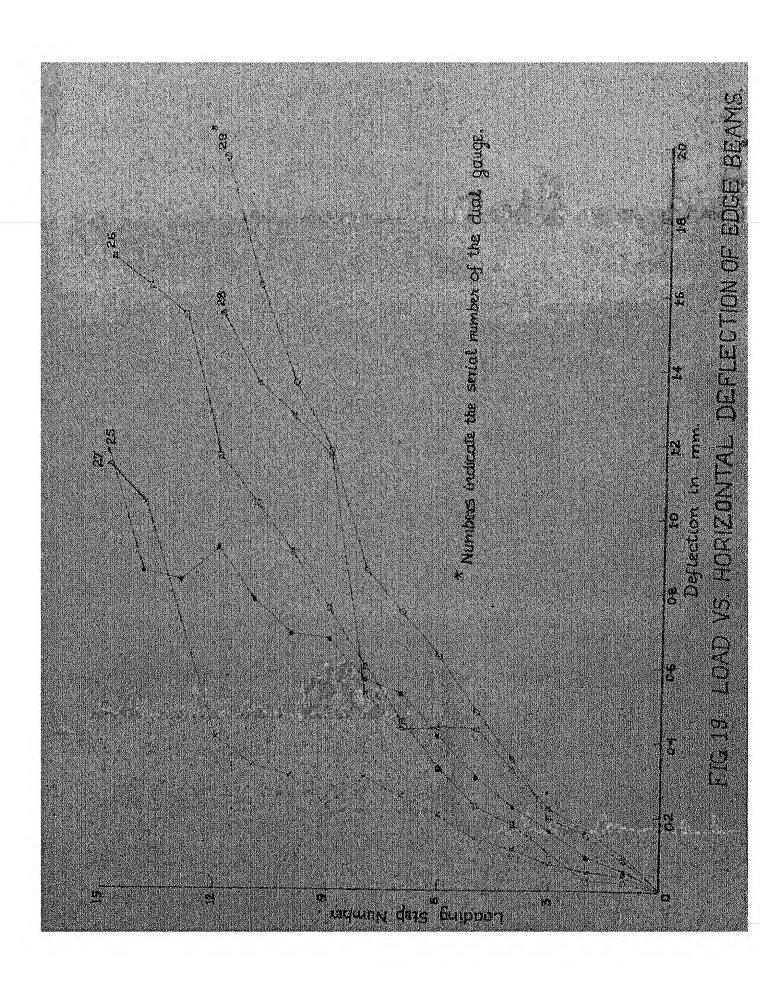
FIG.12

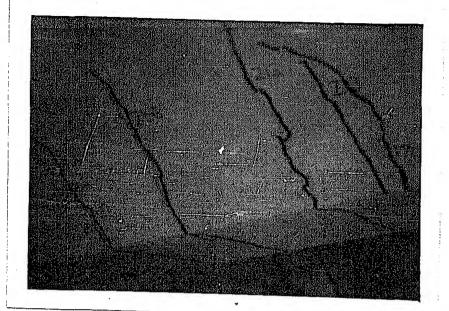




PIG. 16. LOAD TO LATERAL STRAIG

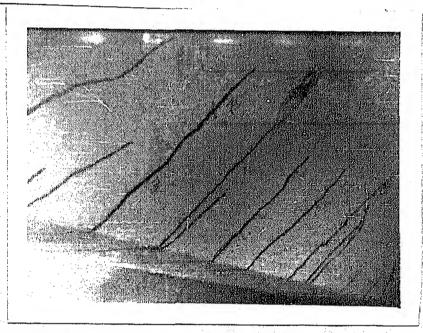


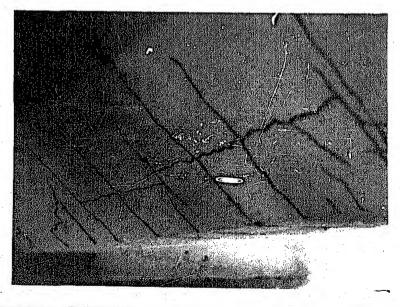




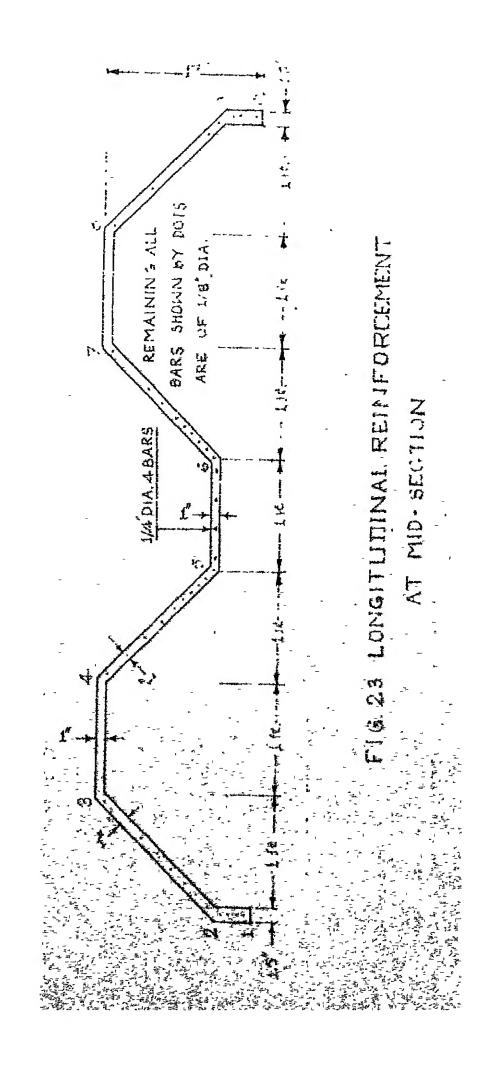
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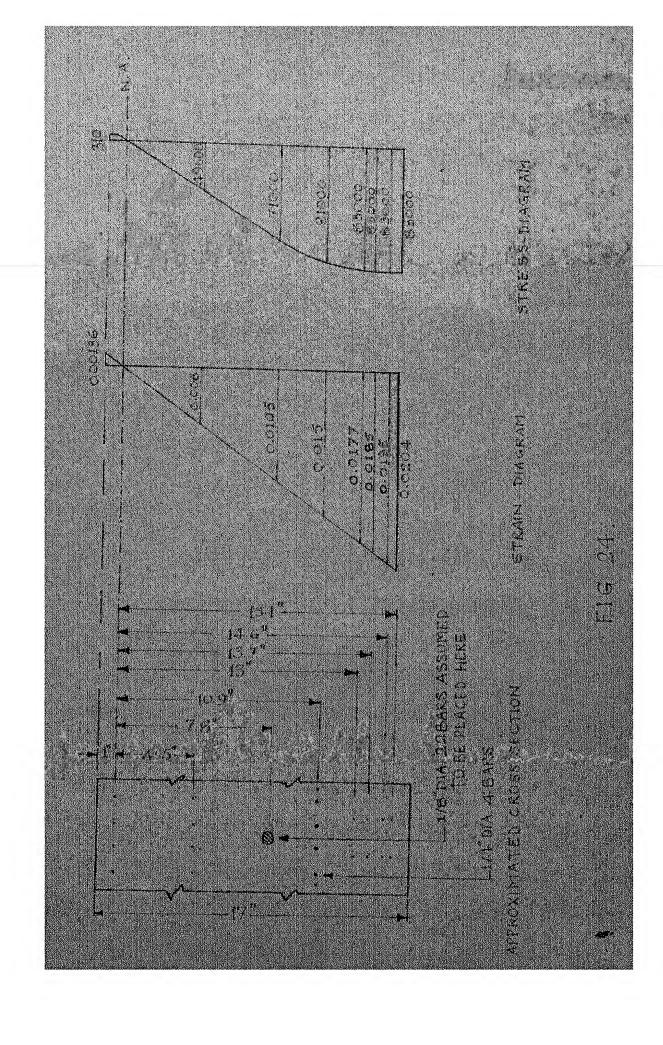
FIG.21





HG.22





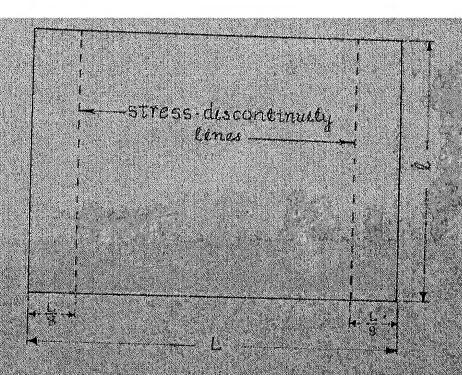


FIG. 25 STRESS DISCONTINUITY LINES OVER CYLINDRICAL SHELL MODEL IN PLAN

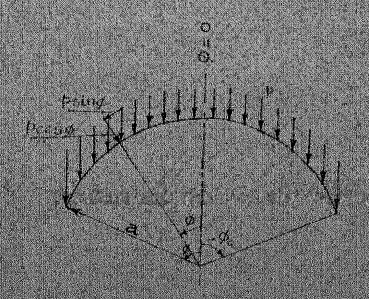
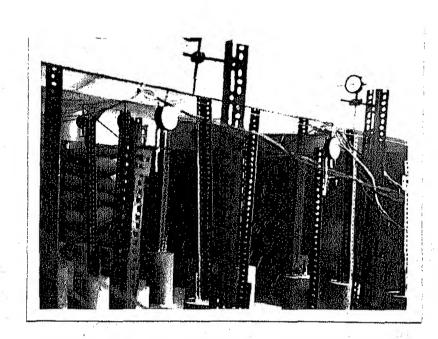
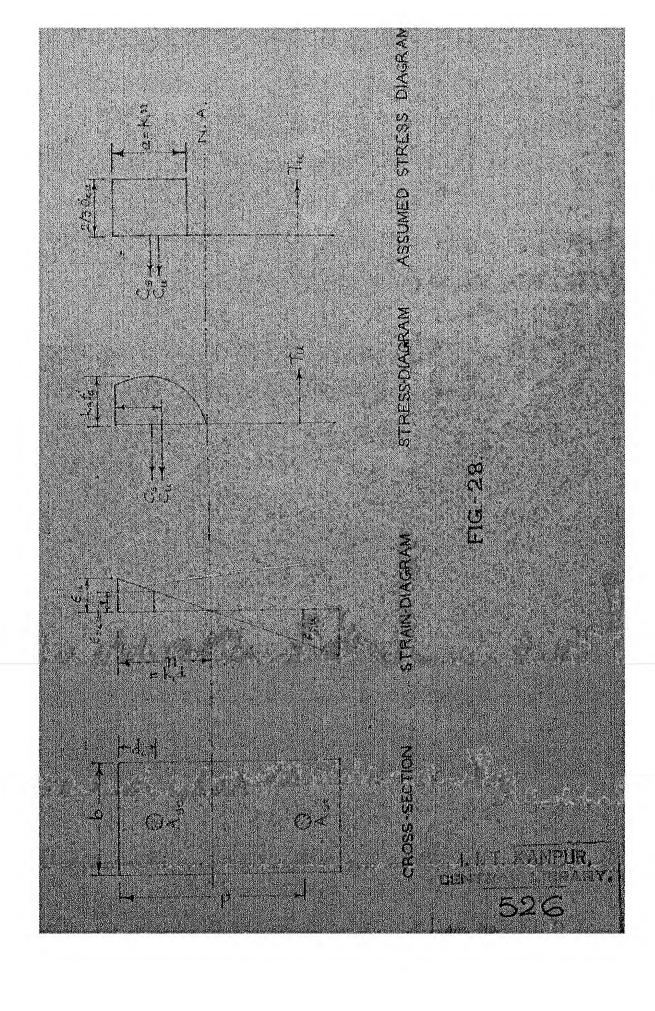


FIG. 26, UNIFORMLY DISTRIBUTED LOAD FAND ANGLE O



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